

## COMP 122/L Final Practice Exam (Answers)

### Final Exam Topics:

- The use of memory on MIPS (with the `lw` and `sw` instructions) and branches (conditionals and loops)
- Truth tables
- Circuits
- Boolean formulas
- De Morgan's laws
- Karnaugh maps (K-maps), including those with *don't cares*

In addition to this review, you should also review:

- Related Labs (Labs 4 - 6)
- All the handouts

This review itself is not intended to be comprehensive

1.) Consider the following `.data` section of a MIPS program:

```
.data
array:
    .word 7, 2, 4
```

Finish this MIPS program so that it prints out every element of this array, WITHOUT using a loop. As a hint, you'll need to use different offsets in your `lw` instructions. Don't forget to terminate the program.

```
.text
main:
    la $t0, array
    li $v0, 1

    lw $a0, 0($t0)
    syscall
    lw $a0, 4($t0)
    syscall
    lw $a0, 8($t0)
    syscall

    li $v0, 10
    syscall
```

2.) Consider the following `.data` section of a MIPS program:

```
.data
array:
    .word 7, 2, 4, 8
copy:
    .word 0, 0, 0, 0
```

Finish this MIPS program so that `copy` will contain a copy of the contents of `array`. You MUST use a loop. Don't forget to terminate the program.

```
.text
main:
    la $t0, array # $t0: pointer to current source element
    la $t1, copy  # $t1: pointer to current destination element
    li $t2, 4     # $t2: number of elements remaining

loop:
    lw $t3, 0($t0) # $t3: holds current element
    sw $t3, 0($t1)
    addiu $t0, $t0, 4
    addiu $t1, $t1, 4
    addiu $t2, $t2, -1
    bne $t2, $zero, loop

    li $v0, 10
    syscall
```

3.) Consider the following C-like code:

```
int array[] = {4, 8, 9, 1, 0, 5};
for (int index = 0; index < 6; index += 2) {
    int temp = array[index];
    array[index] = array[index + 1];
    array[index + 1] = temp;
}
```

This code started to be translated to MIPS assembly as follows:

```
.data
array:
    .word 4, 8, 9, 1, 0, 5
```

Complete the translation of this code. Don't forget to terminate the program.

```
# Equivalent code with while loop:
# int array[] = {4, 8, 9, 1, 0, 5};
# int index = 0;
# while (index < 6) {
#     int temp = array[index];
#     array[index] = array[index + 1];
#     array[index + 1] = temp;
#     index += 2;
# }

.text
main:
    la $t0, array # pointer to current element
    li $t1, 0     # current count (index)

loop:
    sltiu $t2, $t1, 6
    beq $t2, $zero, after_loop
    lw $t3, 0($t0) # $t3: temp; temp = array[index]
    lw $t4, 4($t0) # $t4 = array[index + 1]
    sw $t4, 0($t0) # array[index] = $t4
    sw $t3, 4($t0) # array[index + 1] = temp;
    addiu $t0, $t0, 8 # go two elements past
    addiu $t1, $t1, 2
    j loop

after_loop:
    li $v0, 10
    syscall
```

4.) What component is shown below?



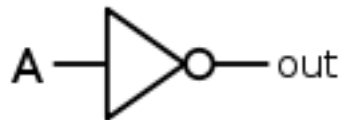
An OR gate.

5.) What component is shown below?



An AND gate.

6.) What component is shown below?

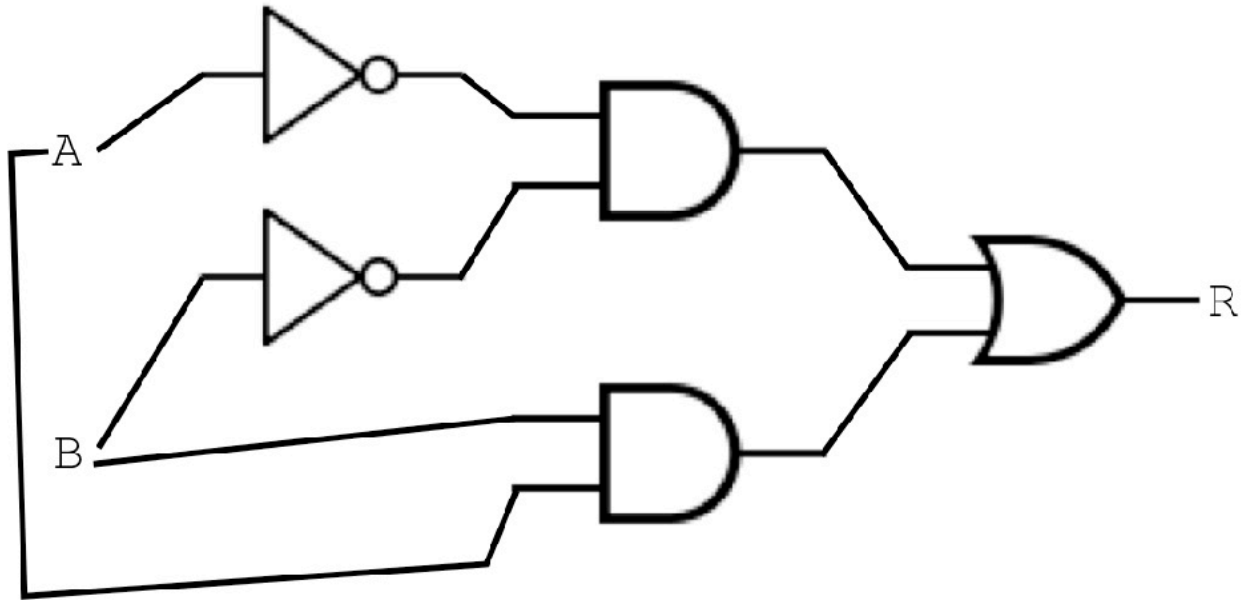


A NOT gate.

7.) Draw the circuit corresponding to the following sum-of-products equation:

$$R = !A!B + AB$$

$$R = !A!B + AB$$



8.) Consider the following sum-of-products equation:

$$R = \overline{A}BC + A\overline{B}C + A!B!C$$

8.a.) Write the equation as a truth table.

A	B	C	R
0	0	0	0
0	0	1	0
0	1	0	0
0	1	1	1
1	0	0	1
1	0	1	0
1	1	0	0
1	1	1	1

8.b.) Simplify it using a Karnaugh map.

		BC			
		00	01	11	10
A	0	0	0	1	0
	1	1	1	0	1

$$R = A!B!C + BC$$

A	B	C	D	U
0	0	0	0	1
0	0	0	1	X
0	0	1	0	0
0	0	1	1	1
0	1	0	0	X
0	1	0	1	1
0	1	1	0	0
0	1	1	1	X
1	0	0	0	1
1	0	0	1	0
1	0	1	0	X
1	0	1	1	0
1	1	0	0	1
1	1	0	1	0
1	1	1	0	X
1	1	1	1	0

9.) Consider the truth table below, which includes *don't cares*:

9.a.) Write out the unoptimized sum-of-products equation corresponding to this truth table. As a hint, *don't cares* can be skipped over.

$$U = !A!B!C!D + !A!BCD + !AB!CD + A!B!C!D + AB!C!D$$



9.b.) Using a K-map, derive an optimized equivalent sum-of-products equation that exploits *don't cares* where appropriate.

AB \ CD	00	01	11	10
00	1	X	1	0
01	X	1	X	0
11	1	0	0	X
10	1	0	0	X

$$U = !C!D + !AD$$

10.) Consider the truth table below, which includes *don't cares*:

A	B	C	D	Output
0	0	0	0	0
0	0	0	1	0
0	0	1	0	X
0	0	1	1	X
0	1	0	0	0
0	1	0	1	0
0	1	1	1	1
0	1	1	1	1
1	0	0	0	X
1	0	0	1	0
1	0	1	1	1
1	0	1	1	X
1	1	0	0	1
1	1	1	0	0
1	1	1	1	X
1	1	1	1	1

Using a K-map, derive an optimized equivalent sum-of-products equation that exploits *don't cares* where appropriate.

AB \ CD	00	01	11	10
00	0	0	X	X
01	0	0	1	1
11	1	0	1	X
10	X	0	X	1

Output =  $A!D + C$